Term Exam (Nov 9, 2016)

Please answer all of the questions below.

Problem 1 (4 points)

What does the Coase Theorem say? Explain its main message. Under which conditions does it hold?

Problem 2 (8 points)

Consider two agents A and B, and one asset K. If the agents work together, they can generate a joint profit of V = 2(2a + b). Prior to this production stage, agents make a relationship specific investments a and b in physical capital, at personal costs $\phi(a) = a^2/2$ and $\psi(b) = b^2/2$, respectively. If the agents do not work together, agent j's default payoff is $V^j = 2a + b$ if j is asset owner, and $V^j = 0$ if j is not asset owner.

- a) Write down a time line. Then, find the efficient ('first best') outcome, and explain.
- b) Which outcome will the agents achieve if the initial contract is incomplete, and specifies only property rights over the asset K? (develop the equilibrium carefully, using backwards induction). Which property rights structure (either A-ownership or B ownership) will they choose in their initial contract? Explain the intuition behind your findings!

Problem 3 (8 points)

A firm is characterized by an output and (gross-of-wages) profit function $q = 6e + \epsilon$, where e indicates the effort of its only worker, and ϵ is noise with mean zero. The worker's utility function is $U = w - \psi(e)$ where $\psi(e) = e^2/2$ represents his personal disutility from providing effort. His reservation utility is $\overline{U} = 10$. The firm owner P offers linear salary contracts, $w = \alpha + \beta q$.

- a) Which salary contract (α, β) will *P* offer? (explain your steps, and don't forget verbal explanations). Is the outcome efficient? Why or why not?
- b) Suppose now the firm employs two identical workers, i = 1, 2 with effort cost functions $\psi(e_i) = e_i^2/2$.
 - (1) Suppose an enforcing party (the court) observes individual output levels $q_i = 6e_i + \epsilon$. Which contracts (α_i, β_i) will the firm propose to each worker? Is the outcome efficient?
 - (2) Suppose the court only observe the total output $q = q_1 + q_2 = 6e_1 + 6e_2 + \epsilon$. Which contracts (α_i, β_i) will it offer? Is the outcome efficient? Explain precisely why or why not.

Problem 4 (8 points)

- a) (4 points) Two firms hire from a large pool of workers with unobserved abilities a (drawn from some interval; output per worker is q = a). Firm A offers workers a fixed wage $w_A = \alpha_A$, while firm firm B offers an output-dependent wage $w_B = \alpha_B + \beta_B q$. Using VERBAL arguments and a GRAPH, explain PRECISELY why firm B always hires the more able workers, and commands a profit for any wage w_A that allows firm A to break even. Can such a situation where one of the two firms offers fixed wage contracts emerge as a labor market equilibrium? Argue why or why not.
- b) (4 points) Explain verbally why 'backloading' wages can help a firm to attract more able workers, and to deter less able workers. (you don't have to write down the entire model here – just provide the basic elements, and the intuition for the results).