

a) for each EM wave state its origin and wavelength.

$I_0/4$ av - solar radiation ($0.5 \mu\text{m}$ visible)

$\alpha I_0/4$ reflected radiation from earth's surface ($0.5 \mu\text{m}$ visible)

I_E thermal radiation emitted from earth ($10 \mu\text{m}$ IR)

βI_E radiation absorbed by atmospheric gases

$(1-\beta) I_E$ the transmitted radiation

I_A thermal radiation emitted from atm. ($10 \mu\text{m}$ IR)

note: [text 6-6] has graph of wavelengths reaching the earth.

b) what happens to T_E as α and β are increased?

$I_E = \sigma T_E^4$ (blackbody radiator) need $I_E \dots$

$$\text{EARTH } I_{in} = I_{out}$$

$$I_0/4 + I_A = \alpha I_0/4 + I_E$$

$$\text{ATM. } I_{in} = I_{out}$$

$$\beta I_E = 2 I_A \longrightarrow I_A = \frac{1}{2} \beta I_E$$

$$I_0/4 + \beta I_E/2 = \alpha I_0/4 + I_E$$

$$I_0(1/4 - \alpha/4) = I_E(1 - \beta/2)$$

$$I_E = \frac{1/4 I_0(1-\alpha)}{1 - \beta/2} \cdot \frac{2}{2} = \frac{1/2 I_0(1-\alpha)}{2-\beta}$$

$$T_E = \left(\frac{I_E}{\sigma} \right)^{1/4} = \sqrt[4]{\frac{1/2 I_0(1-\alpha)}{\sigma(2-\beta)}}$$

- increasing α ; reducing solar input to earth \rightarrow gets colder.

- notice $(1-\alpha)$ decreases from $T_E(\alpha, \beta)$

- increasing β ; reduce radiation into space \rightarrow earth warms up to restore equilibrium.

- notice $(2-\beta)$ decreases $\therefore 1/2-\beta$ increases T_E

The Chevy Volt is powered by Li-ion battery operating @ 300 V with capacity 45 A·hr

- a) how much current does the battery supply at peak power output of 111 kW?

$$P = iV \rightarrow i = \frac{P}{V} = \frac{111 \times 10^3 \text{ W}}{300 \text{ V}} = 370 \text{ A}$$

- b) how much energy can it store?

$$E = QV \rightarrow E = 45 \cdot 3600 \cdot 300 = 4.86 \times 10^7 \text{ J}$$

$$\text{OR } E = 4.86 \times 10^7 \text{ J} \cdot \frac{\text{kWh}}{3.6 \times 10^6 \text{ J}} = 13.5 \text{ kWh}$$

$$\text{OR } 48.6 \text{ MJ}$$

- c) if the car requires 2.4 kWh to travel 10 km, how far can it travel without re-charging?

$$\left[\frac{10 \text{ km}}{2.4 \text{ kWh}} \right] \times 13.5 \text{ kWh (max)} = 56 \text{ km}$$

- d) if it cost 8¢ / kWh for energy, how much to travel 20 km?

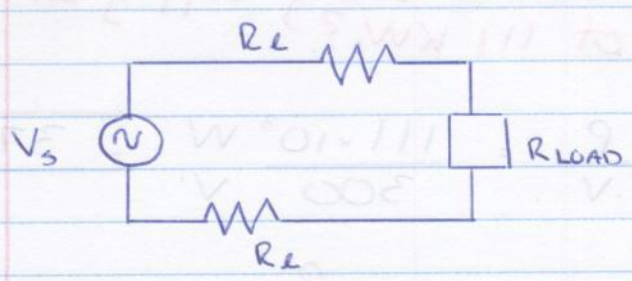
$$\frac{2.4 \text{ kWh}}{10 \text{ km}} \times 20 \text{ km} \times \frac{0.08 \$}{\text{kWh}} = \$0.38$$

- e) assuming a consumption of 5L / 100 km, what is the cost to run the "Volt" 20 km on gas?

$$\frac{5 \text{ L}}{100 \text{ km}} \times 20 \text{ km} \times \frac{\$1.30}{\text{L}} = \$1.30$$

M2-3

A town is supplied by 150 kV [AC] by two lines with resistance 150 Ω each. The voltage source is initially delivering 12 MW of average power.



- $V_s = 150 \text{ kV a.c.}$
- $R_e = 150 \Omega$
- $P_{AV} = 12 \text{ MW}$
- $R_{LOAD} = ?$

a) Find resistance across the load.

$$R_{TOTAL} = 2R_e + R_{LOAD}$$

$$P_{AV} = \frac{V^2}{R_{TOTAL}} \rightarrow R_{TOTAL} = \frac{V^2}{P_{AV}} \rightarrow R_{LOAD} = \frac{V^2}{2P_{AV}} - 2R_e$$

$$R_{LOAD} = \frac{(150 \times 10^3)^2}{12 \times 10^6} - 2(150) = 1575 \Omega$$

b) Find voltage across R_{LOAD} .

• one loop ∴ current is the same across each "R"

$$P = iV \rightarrow i = \frac{P}{V} = \frac{12 \times 10^6}{150 \times 10^3} = 80 \text{ A}$$

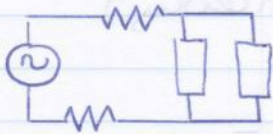
$$V_L = i_L R_L = (80)(1575) = 126 \text{ kV}$$

c) how much power is lost along the transmission lines?

$$P_e = i_e^2 R_e = (80)^2 (2 \cdot 150) = 1.92 \text{ MW}$$

d) if a second, identical load, is placed in parallel with previous one, how much power must generator supply?

$$R_T = R_{\text{series}} + R_{\text{parallel}}$$



$$R_{\text{series}} = 2 \cdot 150 = 300 \Omega$$

$$R_{\text{parallel}} = \left(\frac{1}{1575} + \frac{1}{1575} \right)^{-1} = 788 \Omega$$

$$R_T = 300 + 788 = 1088 \Omega$$

$$P = \frac{V^2}{R} = \frac{(150 \times 10^3)^2}{1088} = 2.07 \text{ MW} \quad \text{average}$$

e) if the transmission lines are made of copper, with diameter 2cm, what is their length?

$$R = \frac{\rho l}{A}$$

$$\rho = 1.72 \times 10^{-8}$$

$$l = \text{length of 1 line}$$

$$A = \text{area} = \pi r^2$$

$$l = \frac{AR}{\rho} = \frac{\pi (d/2)^2 \cdot 150}{1.72 \times 10^{-8}} = \frac{\pi (100)^2 \cdot 150}{1.72 \times 10^{-8}} = 2.7 \text{ Mm}$$

• each line is 2700 km long!

M2-4

A step-up transformer boosts the voltage from 4 kV to 250 kV. If the power delivered into the transformer is 100 kW what is the primary current and secondary current?

$$\frac{V_1}{V_2} = \frac{N_1}{N_2} = \frac{I_2}{I_1} \quad (100\% \text{ efficiency})$$

$$V_1 = 4 \text{ kV}$$

$$V_2 = 250 \text{ kV}$$

$$P_{in} = 100 \text{ kW}$$

$$P_{in} = I_1 V_1$$

$$I_1 = \frac{P_{in}}{V_1} = \frac{100 \text{ kW}}{4 \text{ kV}} = 25 \text{ A}$$

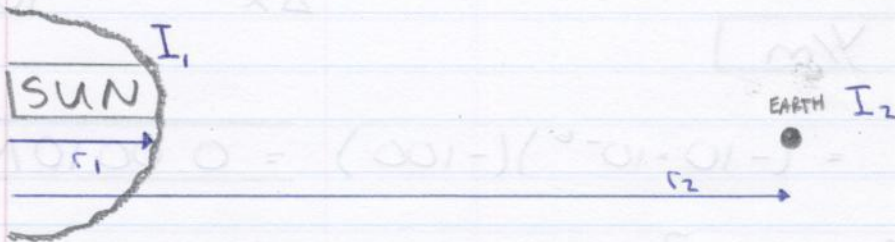
$$I_2 = \frac{I_1 V_1}{V_2} = \frac{P_{in}}{250 \text{ kV}} = \frac{100 \text{ kW}}{250 \text{ kV}} = 0.4 \text{ A}$$

The intensity of solar radiation @ earth's surface is 1368 W/m^2 , what is the surface temp of sun?

- sun is blackbody radiator

$$I_{\text{sun}} = \sigma T_{\text{sun}}^4, \quad \sigma = 5.67 \times 10^{-8} \text{ Wm}^{-2} \text{ K}^{-2}$$

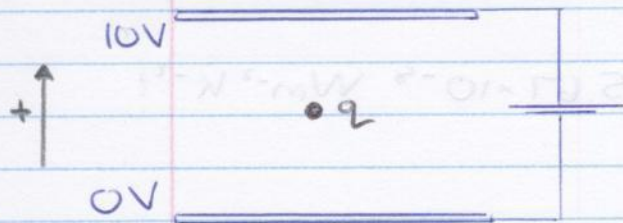
$$\frac{I_{\text{sun}}}{I_{\text{EARTH}}} = \left(\frac{\text{sun-earth}}{\text{sun radius}} \right)^2$$



$$I_{\text{sun}} = \left(\frac{1.5 \times 10^{11}}{6.96 \times 10^8} \right)^2 1368 = 6.317 \times 10^7 \text{ W/m}^2$$

$$T_{\text{sun}} = \left(\frac{I_{\text{sun}}}{\sigma} \right)^{1/4} = \left(\frac{6.317 \times 10^7}{5.67 \times 10^{-8}} \right)^{1/4} = 5777^\circ \text{ K}$$

Two large parallel plates have a separation of 10 cm. The upper plate is @ 10 V while the other is @ 0. What is the force on a $-10 \mu\text{C}$ charge located between plates.



- electric field is uniform between parallel plates.

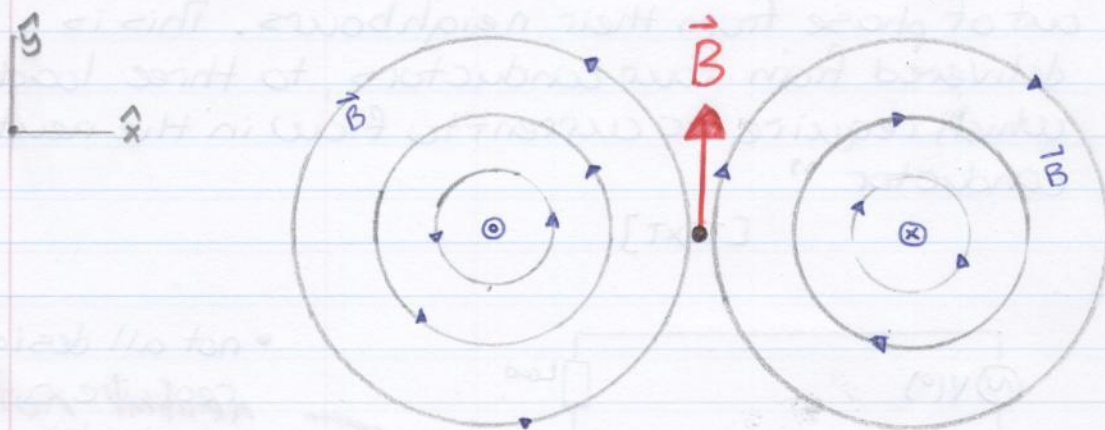
$$E = -\frac{\Delta V}{\Delta x} = -\frac{(10-0)}{10\text{cm}-0}$$

$$E = -100 \text{ V/m}$$

$$\vec{F} = q\vec{E} = (-10 \times 10^{-6})(-100) = 0.0010 \text{ N}$$

- force is [towards] the positive plate, in my diagram; up.

A DC transmission line consists of two wires separated by $2m$; current is in the $\pm \hat{z}$. Each carries 100 A , what is magnetic field between the wires?



- magnetic field lines are concentric circles around current-carrying wires.
- between the wires, the B-field is pointing up $[\hat{y}]$ for each \therefore total field is doubled!

$$B_{\text{wire}} = \frac{\mu_0 i}{2\pi r} = \frac{(4\pi \times 10^{-7})(100)}{2\pi(1)} = 2 \times 10^{-5} \text{ T}$$

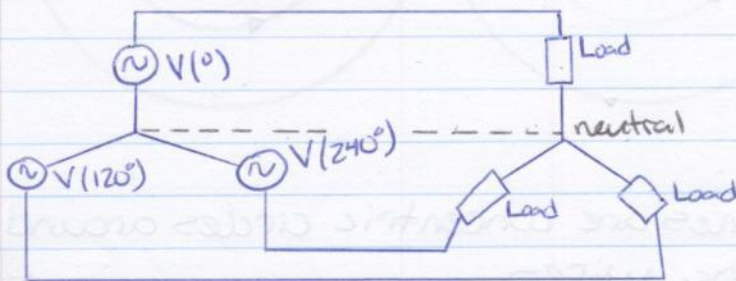
- we have TWO wires, and the point between them is affected by both.

$$B_{\text{TOTAL}} = 2 B_{\text{wire}} = 4.0 \times 10^{-5} \text{ T [up]}$$

explain two advantages of 3 phase power, over single phase power transmission.

"Three sources, each produce 120V and are 120° out of phase from their neighbours. This is delivered from four conductors, to three loads which require no current to flow in the neutral conductor"

[TEXT]



• not all designs require a neutral wire.

- power transfer is constant.
- more transmitted power per conductor.
- lower current in each conductor.
- Let the 3 sources be the windings of an armature on an electric motor. The change in phase can produce a rotating magnetic field inside the motor; it will rotate by itself! Called 3 phase induction motors.

calculate the energy in eV of a typical x-ray photon of 3nm. Why is this more likely to cause biological damage than 3GHz photon from cell phone?

- bio damage ; breaking chemical bonds.
 C-C needs 3.7 eV
 C=C needs 6.2 eV
 C-H needs 4.3 eV

XRAY (1eV = 1.602×10^{-19} J)

$$E = hf, \quad f = c/\lambda$$

$$E = \frac{hc}{\lambda} = \frac{(6.62 \times 10^{-34})(3 \times 10^8)}{3 \times 10^{-9}} = 6.62 \times 10^{-17} \text{ J}$$

$$= 4. \times 10^2 \text{ eV}$$

PHONE

$$E = hf = (6.62 \times 10^{-34})(3 \times 10^9) = 1.98 \times 10^{-24} \text{ J}$$

$$= 1 \times 10^{-5} \text{ eV}$$

- the energy of a photon from cell phone is well below the amount needed to break simple organic bonds. The x-ray photon can easily break simple chemical bonds, even damage your DNA [journal physical chemistry, 2009]